

How baryons affect the large-scale structures
... and how we can try to model it

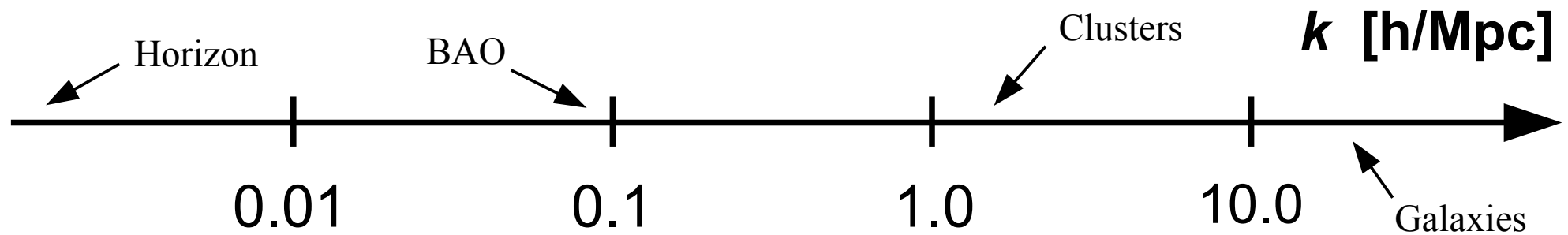
Aurel Schneider – ETH Zurich

In collaboration with
Romain Teyssier

Davos – Feb 2017

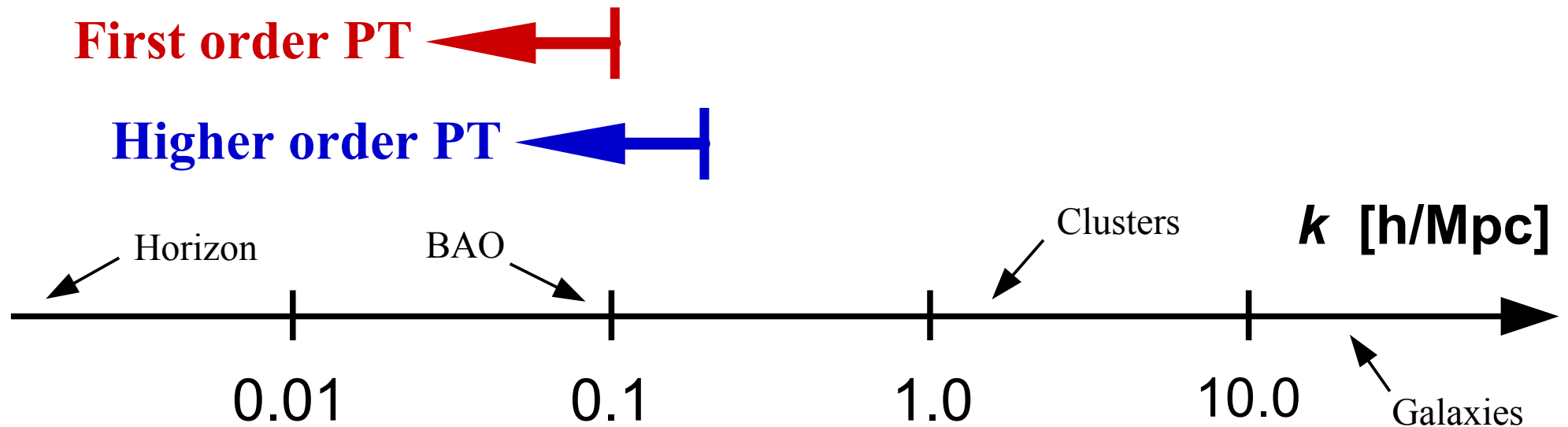
Motivation

Do we understand structure formation ?



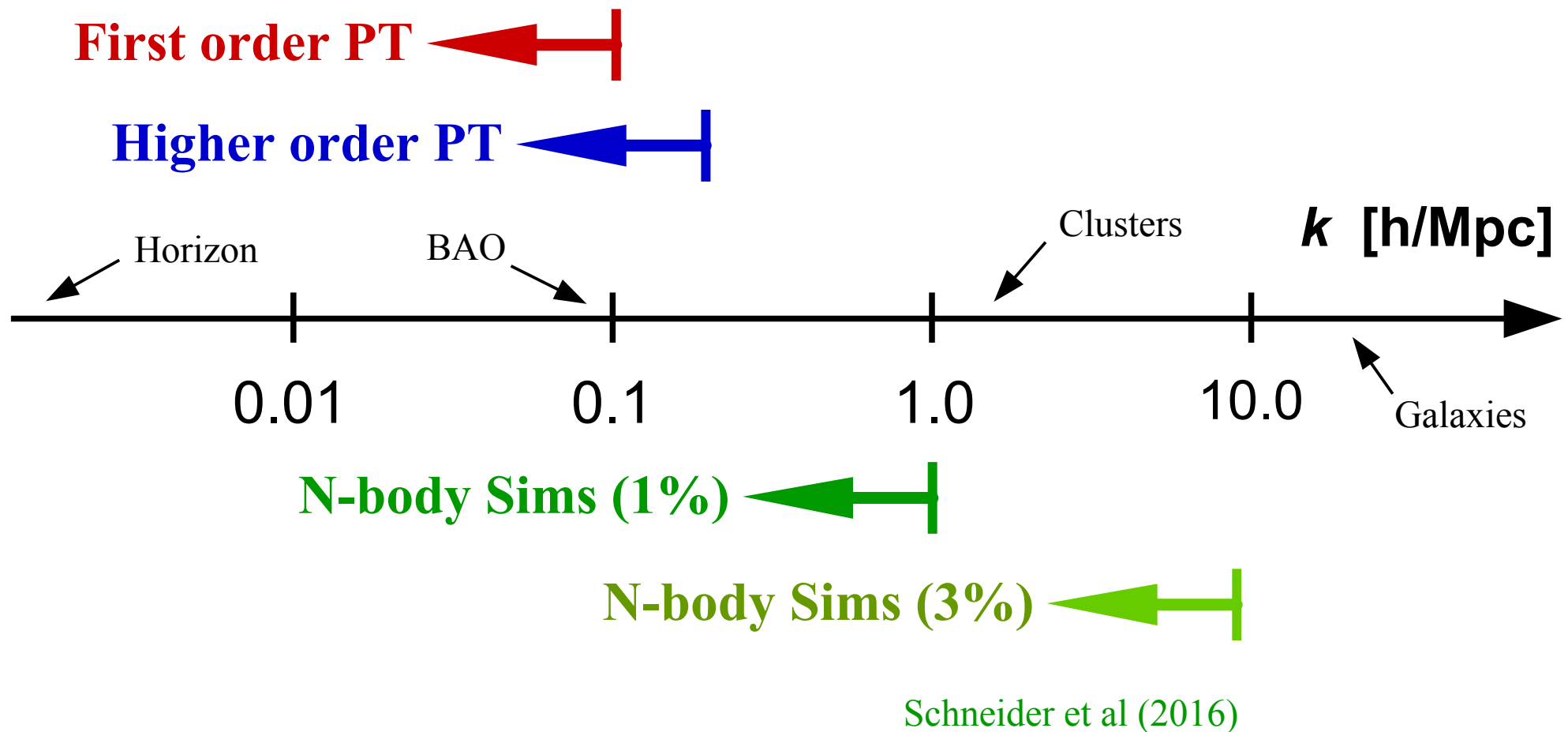
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Motivation

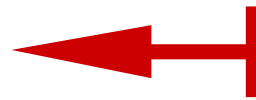
Do we understand structure formation ?



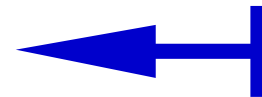
Motivation

Do we understand structure formation ?

First order PT



Higher order PT



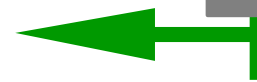
Horizon

BAO

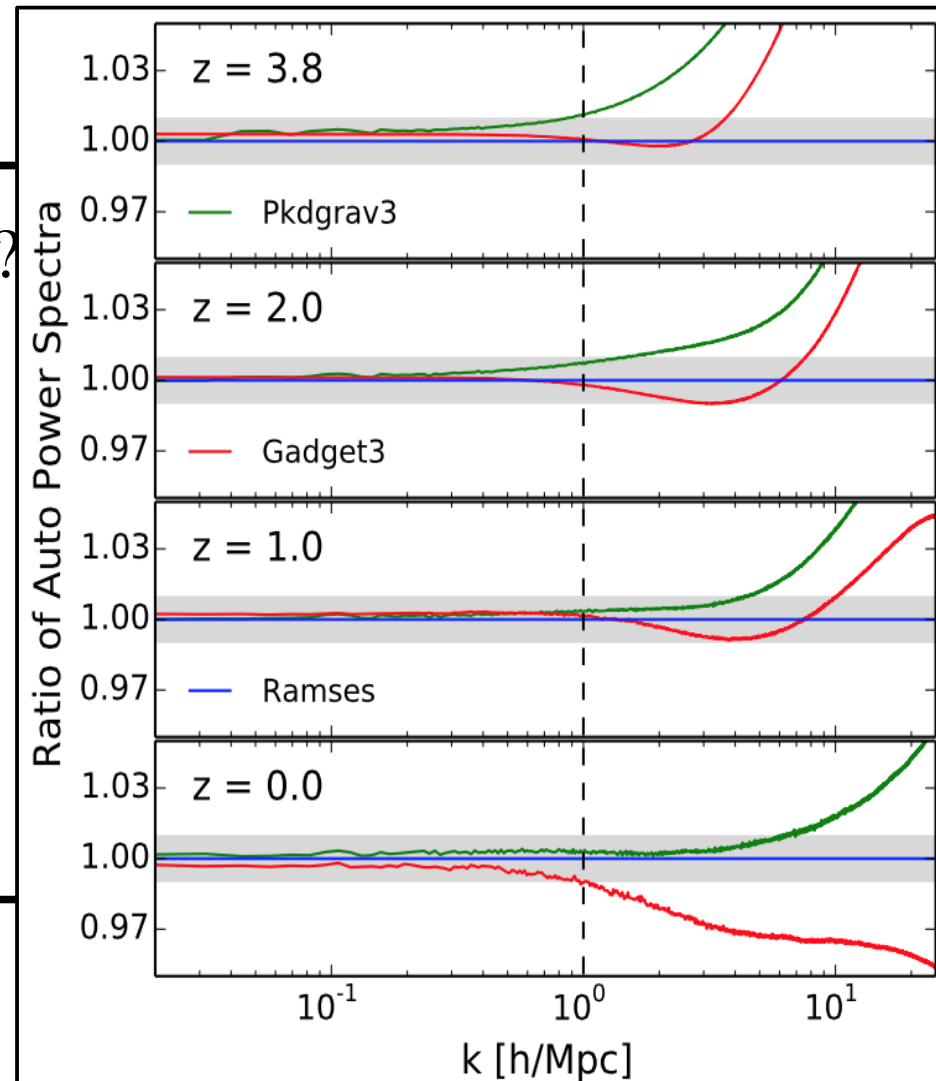
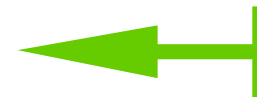
0.01

0.1

N-body Sims (1%)



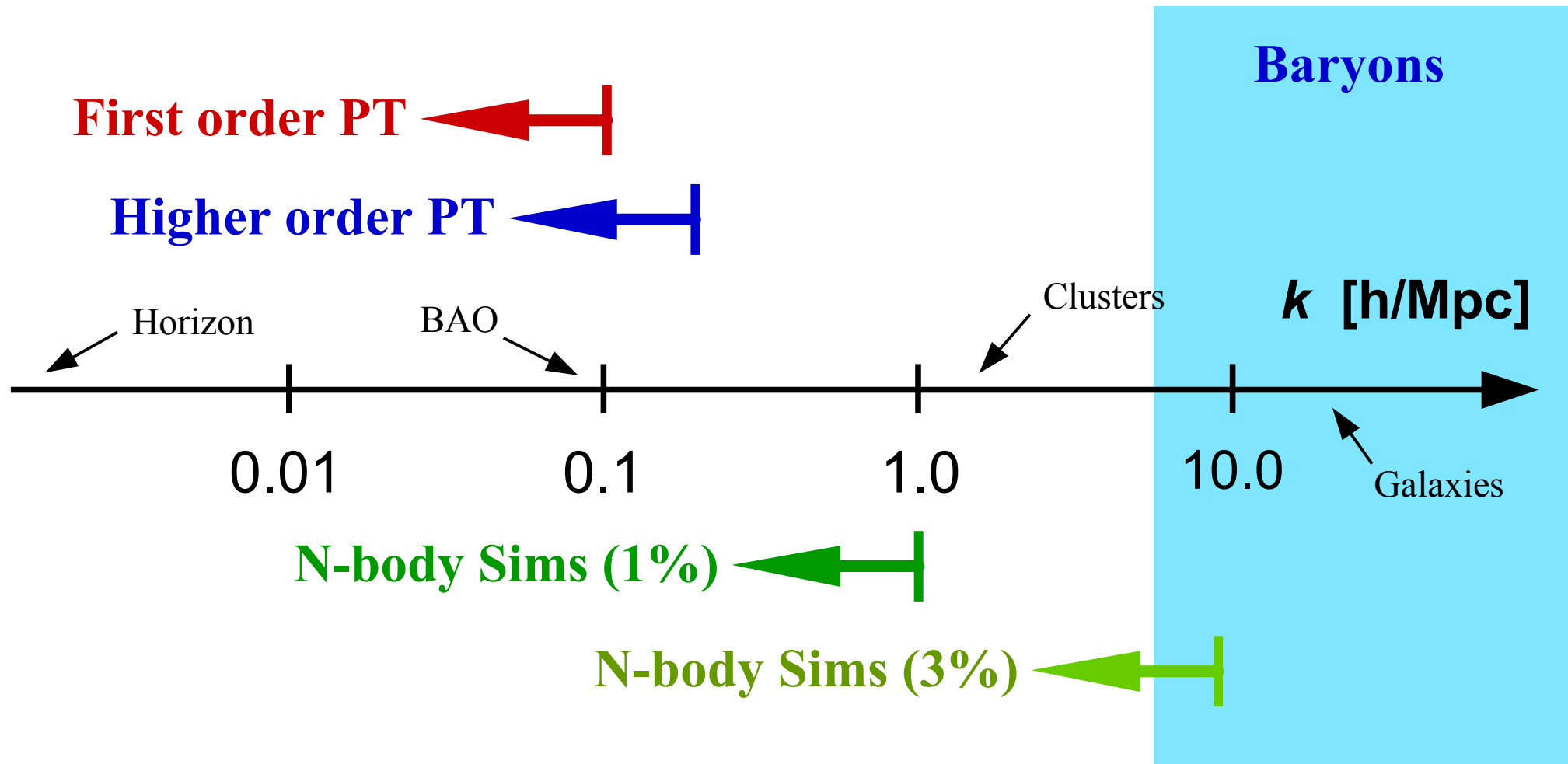
N-body Sims (3%)



Schneider et al (2016)

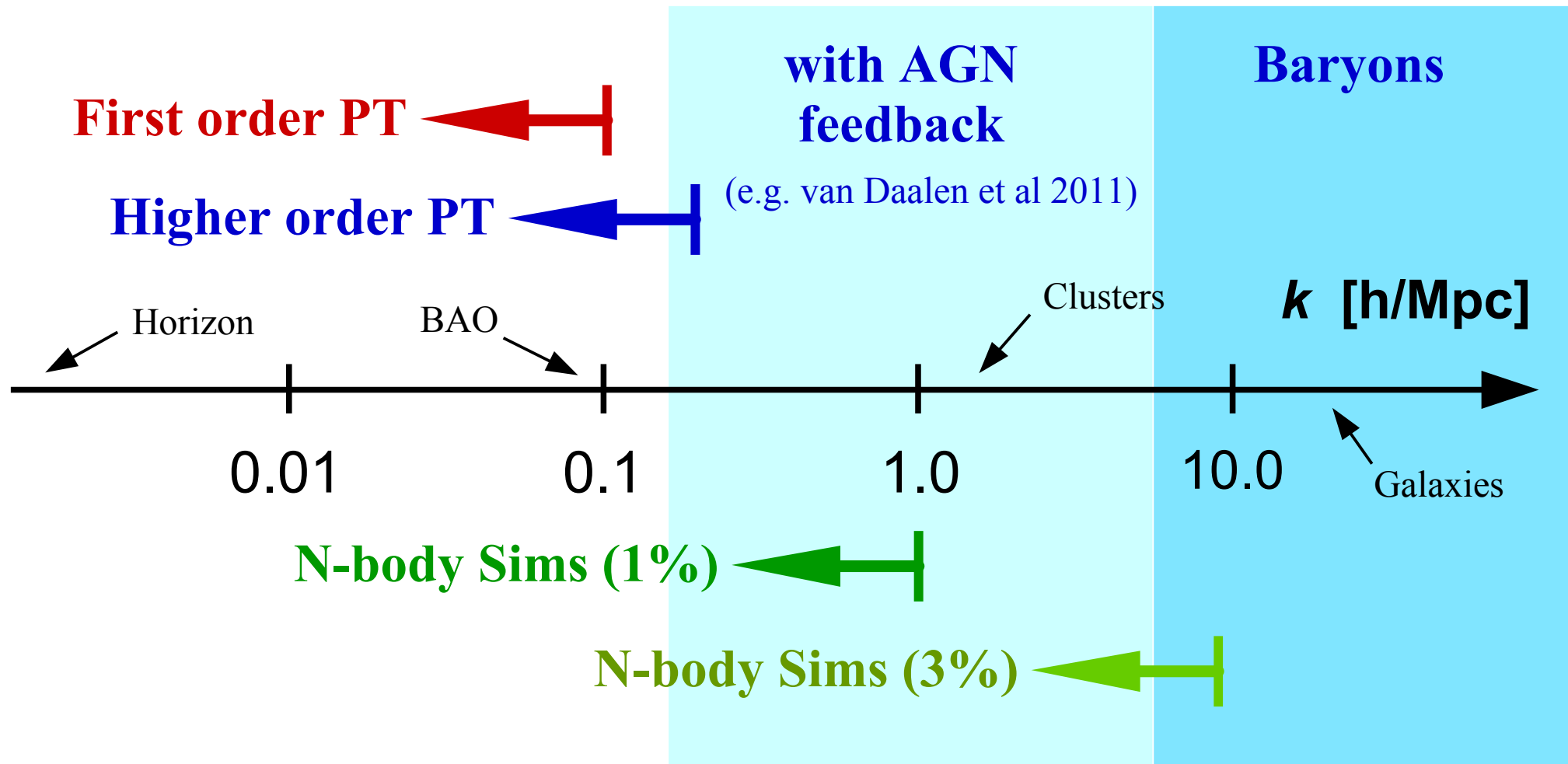
Motivation

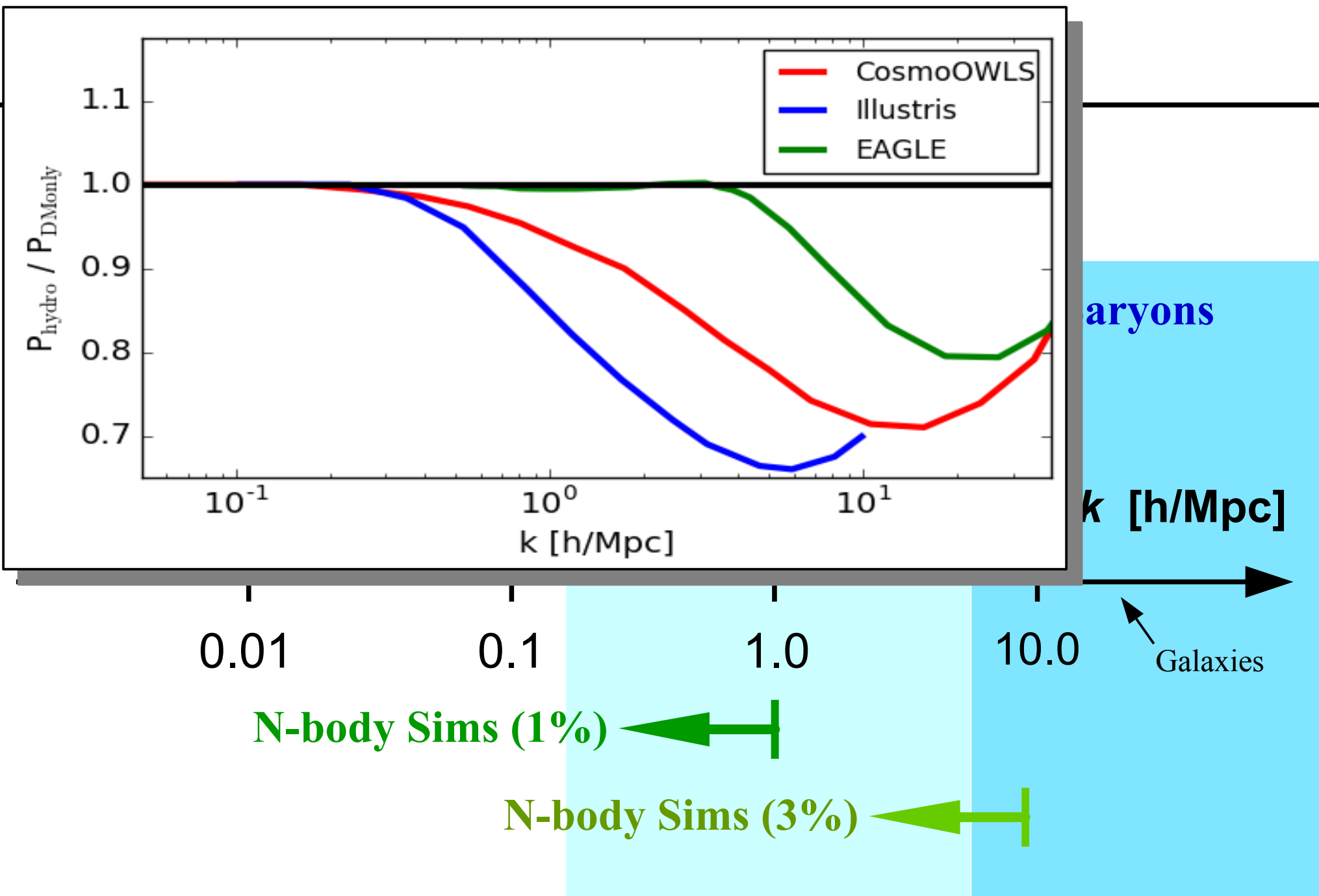
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Motivation

Do we understand structure formation ?





How to address the problem ...

Parametrising of baryonic effects !

How to address the problem ...

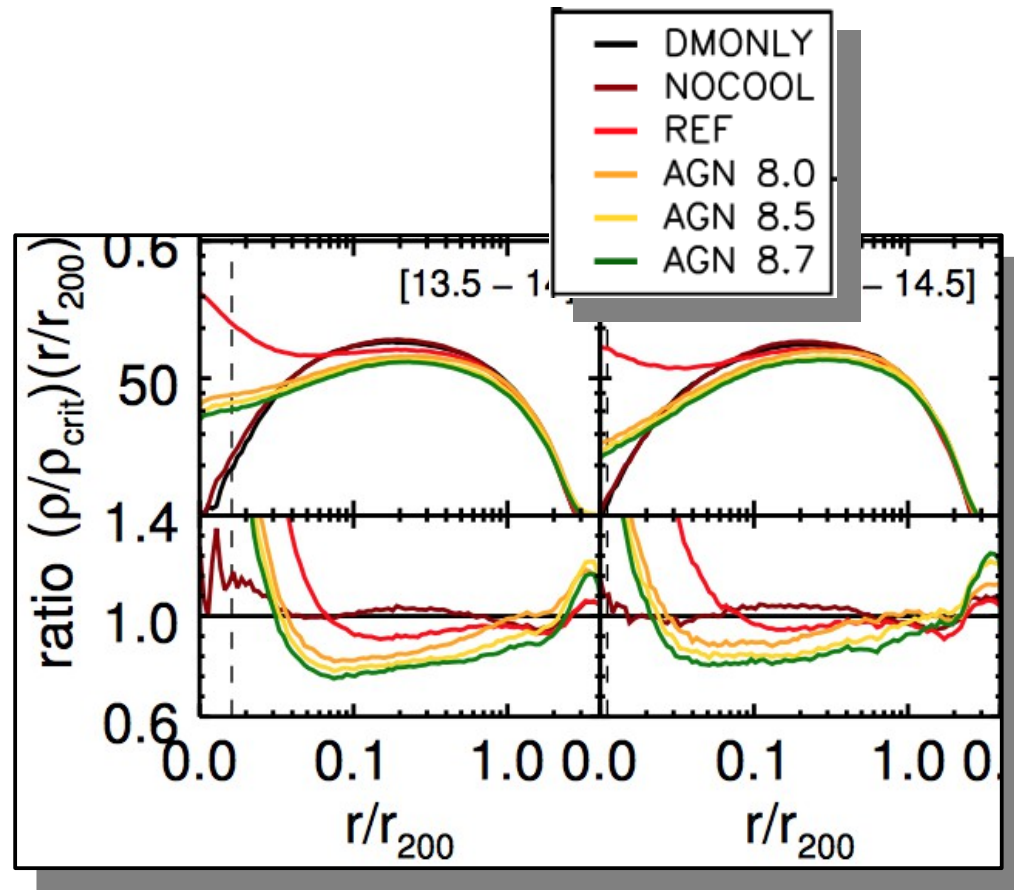
Parametrising of baryonic effects !

- Hydro simulations with varying
AGN energy deposit.

How to address the problem ...

Parametrising of baryonic effects !

- Hydro simulations with varying AGN energy deposit.

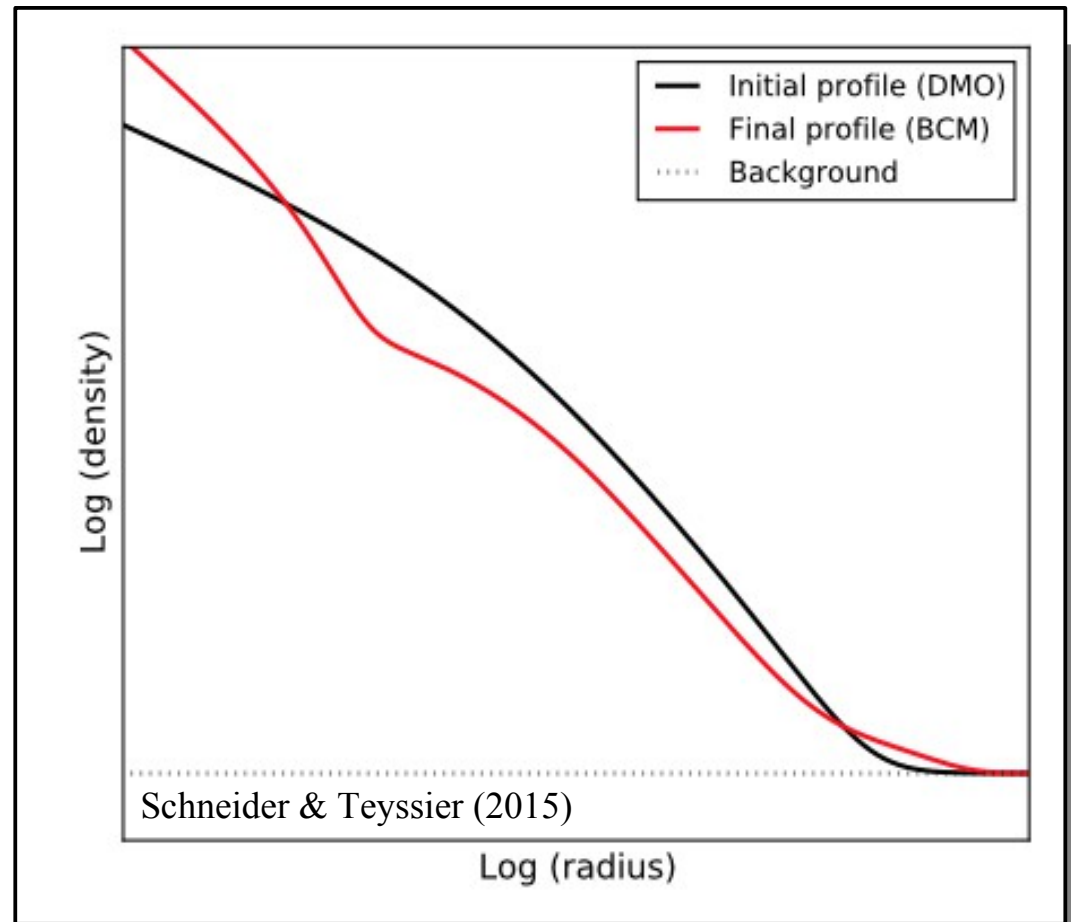


BAHAMAS (Mummery et al 2017)

How to address the problem ...

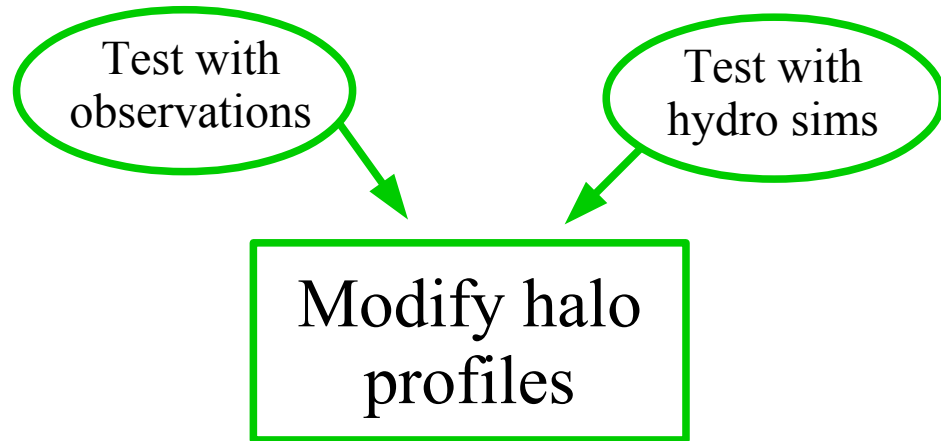
Parametrising of baryonic effects !

- Hydro simulations with varying AGN energy deposit.
- Parametrisation at higher level (e.g. changes in halo profiles)



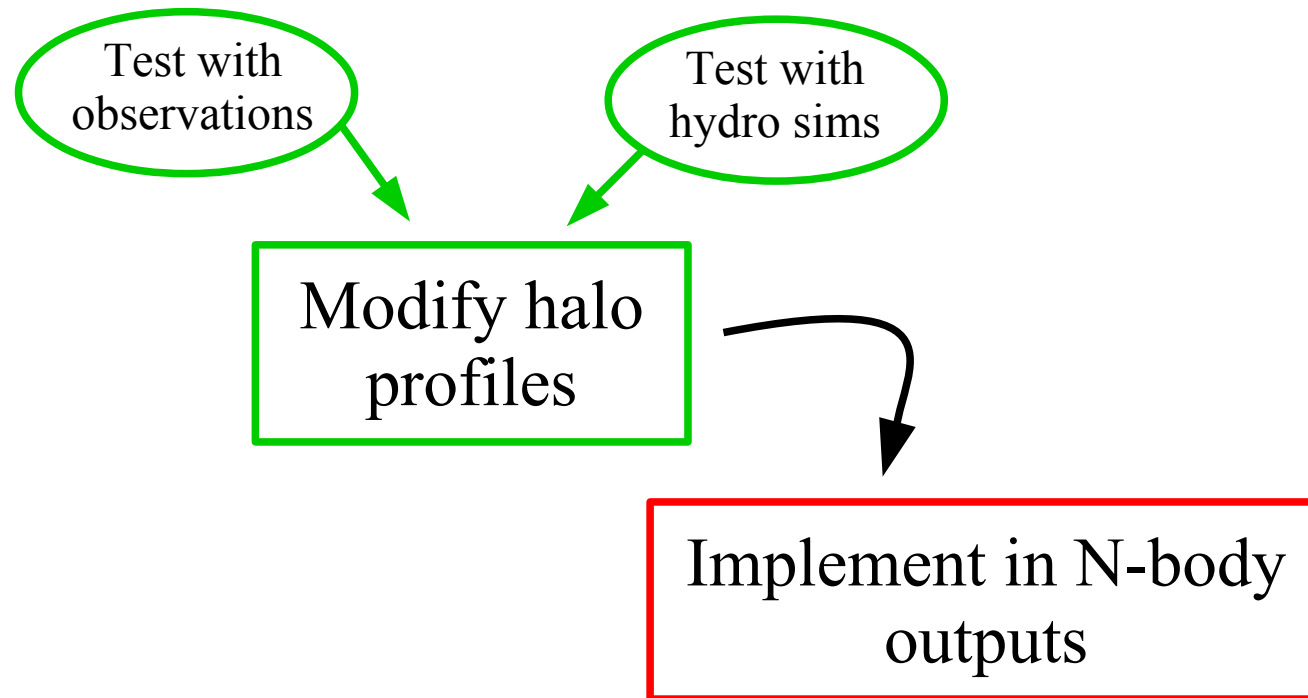
Baryonic Correction Model

Schneider & Teyssier (2015)



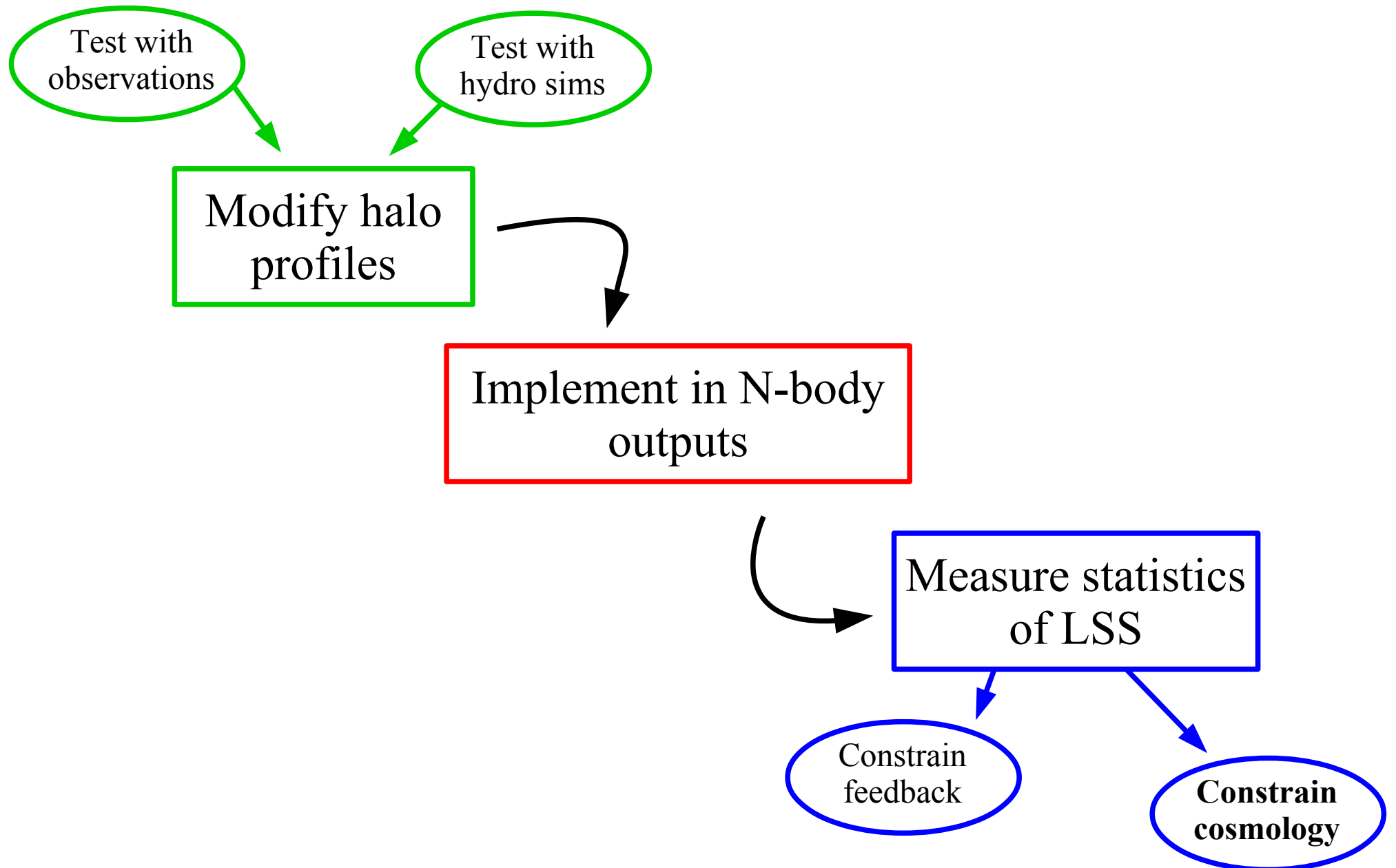
Baryonic Correction Model

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Baryonic Correction Model

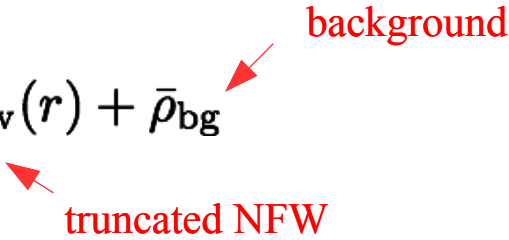
Schneider & Teyssier (2015)



How it works:

Initial halo profiles:

$$\rho_{\text{dmo}}(r) = \rho_{\text{nfw}}(r) + \bar{\rho}_{\text{bg}}$$

The diagram shows the equation $\rho_{\text{dmo}}(r) = \rho_{\text{nfw}}(r) + \bar{\rho}_{\text{bg}}$. A red arrow points from the word "background" to the term $\bar{\rho}_{\text{bg}}$. Another red arrow points from the words "truncated NFW" to the term $\rho_{\text{nfw}}(r)$.

How it works:

Initial halo profiles:

$$\rho_{\text{dmo}}(r) = \rho_{\text{nfw}}(r) + \bar{\rho}_{\text{bg}}$$

background

truncated NFW

Corrected halo profiles:

$$\rho_{\text{bcm}}(r) = f_{\text{rdm}} y_{\text{rdm}}(r) + f_{\text{bgas}}(M) y_{\text{bgas}}(r) + f_{\text{egas}}(M) y_{\text{egas}}(r) + f_{\text{cgal}}(M) y_{\text{cgal}}(r) + \bar{\rho}_{\text{bg}}$$

ejected gas

background

adiabatically relaxed DM

bound gas

central galaxy

How it works:

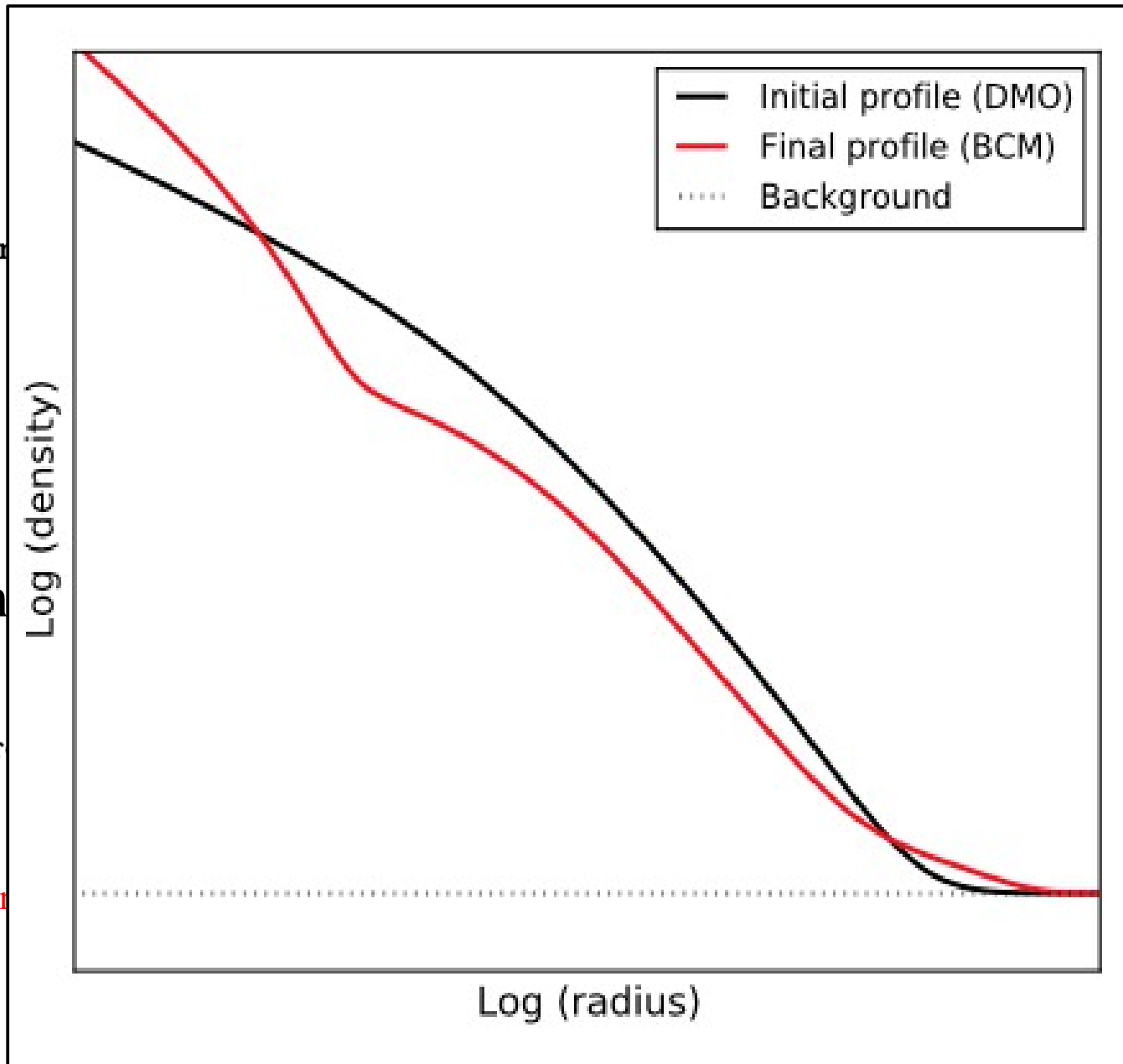
Initial halo

$$\rho_{\text{dmo}}(r) = \rho_{\text{r}}$$

Corrected halo

$$\rho_{\text{bcm}}(r) = f_{\text{r}}$$

adiabatically



background

$$\rho_{\text{bcm}}(r) = f_{\text{r}} + \bar{\rho}_{\text{bg}}$$

How it works:

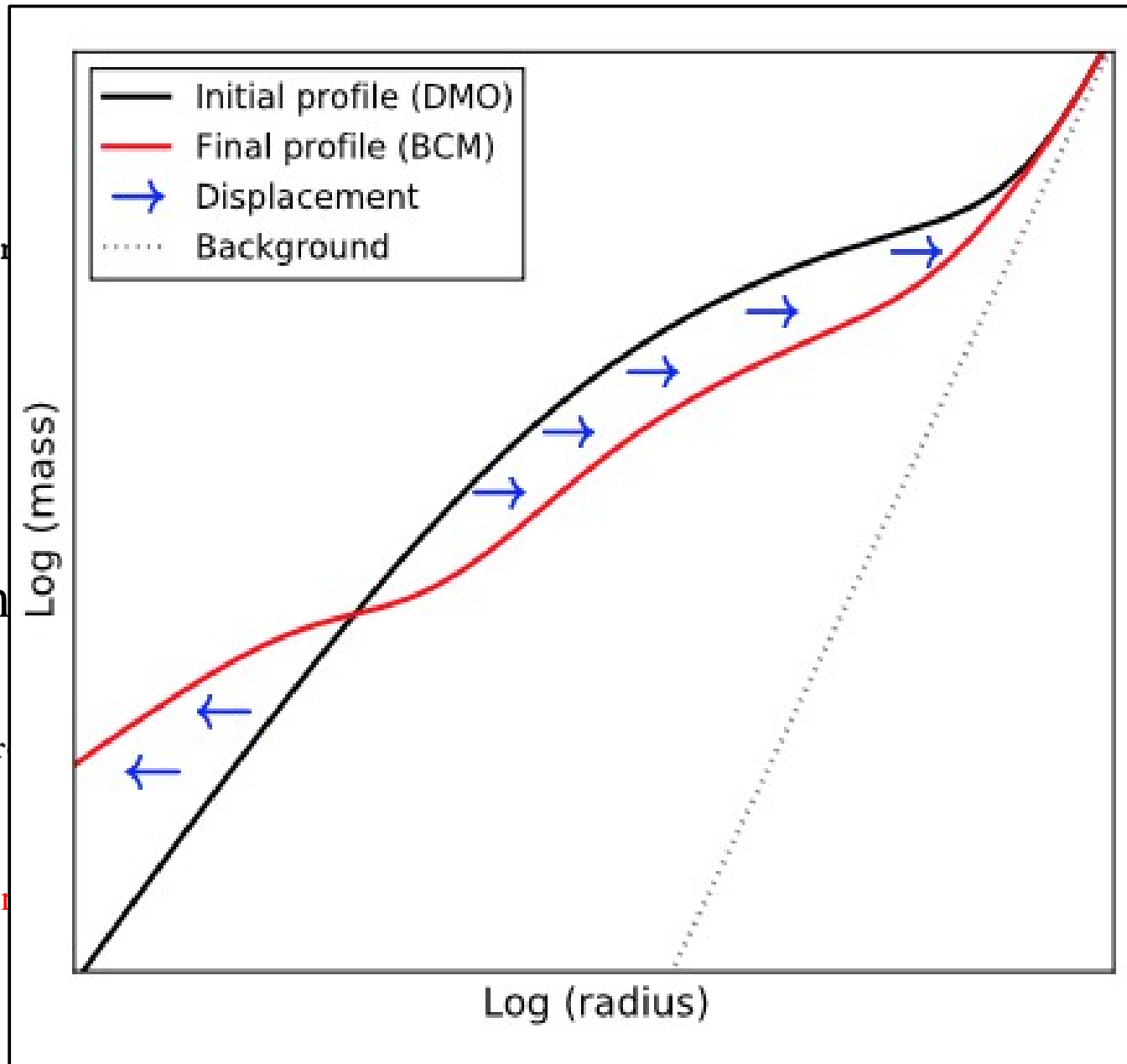
Initial halo

$$\rho_{\text{dmo}}(r) = \rho_{\text{r}}$$

Corrected halo

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adiabatically



background

$$y_{\text{cgal}}(r) + \bar{\rho}_{\text{bg}}$$

How it works:

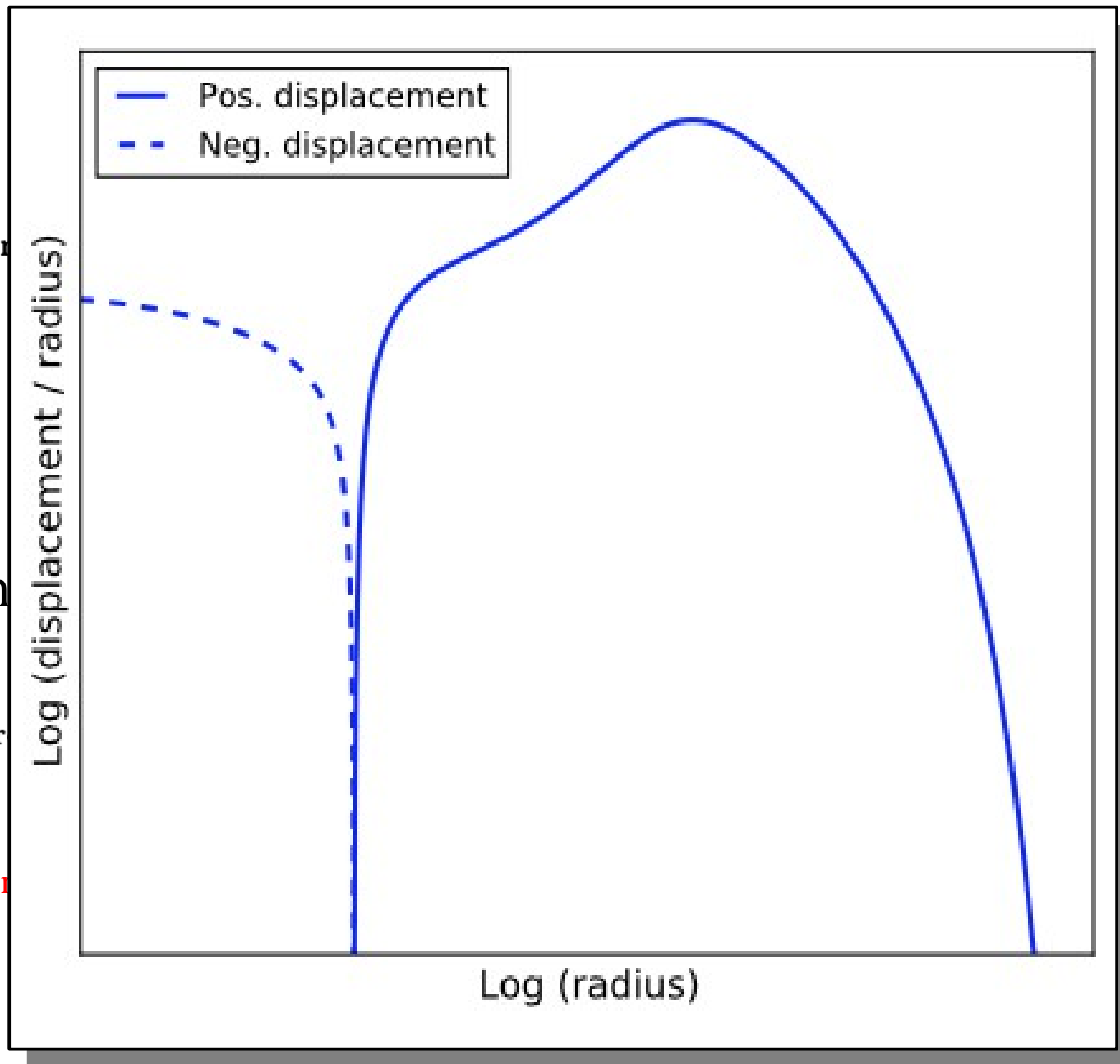
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adiabatically



background

$y_{\text{cgal}}(r) + \bar{\rho}_{\text{bg}}$

Some more about the model:

$$\rho_{\text{bcm}}(r) = f_{\text{rdm}} y_{\text{rdm}}(r) + f_{\text{bgas}}(M) y_{\text{bgas}}(r) + f_{\text{egas}}(M) y_{\text{egas}}(r) + f_{\text{cgal}}(M) y_{\text{cgal}}(r) + \bar{\rho}_{\text{bg}}$$

Some more about the model:

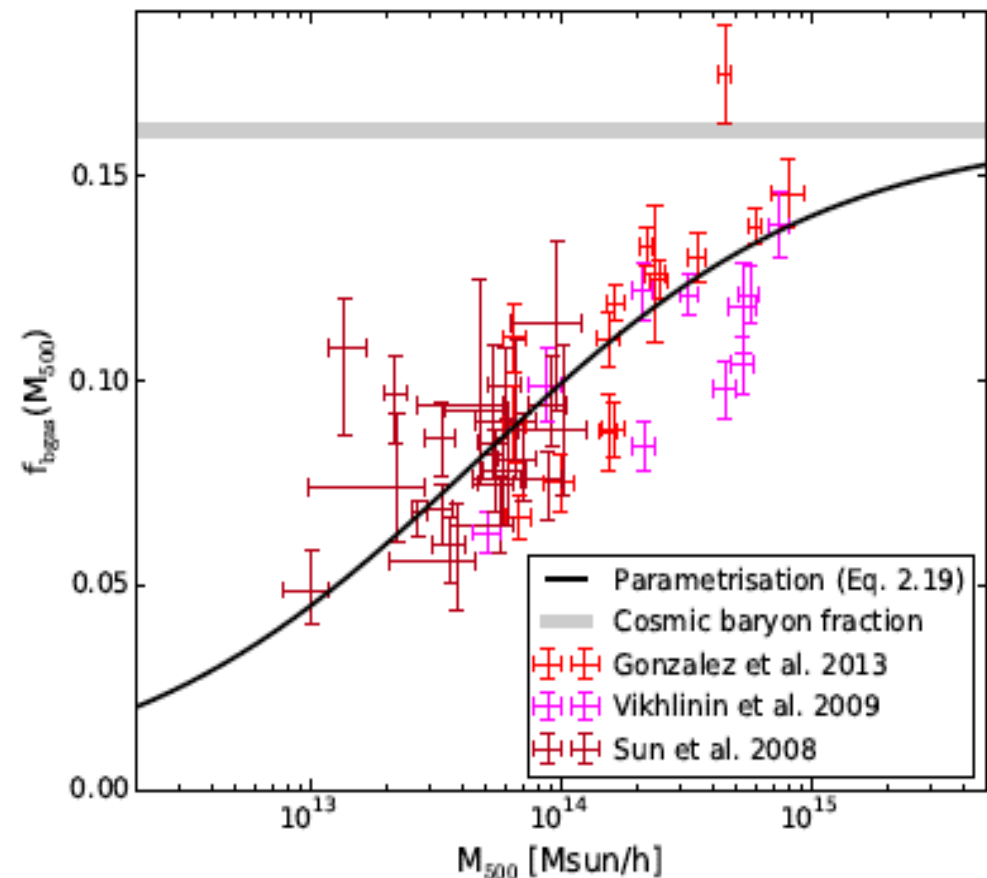
$$\rho_{\text{bcm}}(r) = f_{\text{rdm}} y_{\text{rdm}}(r) + f_{\text{bgas}}(M) y_{\text{bgas}}(r) + \boxed{f_{\text{egas}}(M) y_{\text{egas}}(r)} + f_{\text{cgal}}(M) y_{\text{cgal}}(r) + \bar{\rho}_{\text{bg}}$$

$$f_{\text{egas}}(M) = \Omega_b / \Omega_m - \frac{\Omega_b / \Omega_m}{1 + (M_c / M)^\beta}$$

$$y_{\text{egas}}(r) \propto \exp \left[-\frac{r^2}{2r_{\text{ej}}^2} \right]$$

... or this:

$$y_{\text{egas}} \propto \left[1 + \left(\frac{r}{r_{\text{ej}}} \right)^\gamma \right]^{-\frac{7}{\gamma}}$$



Some more about the model:

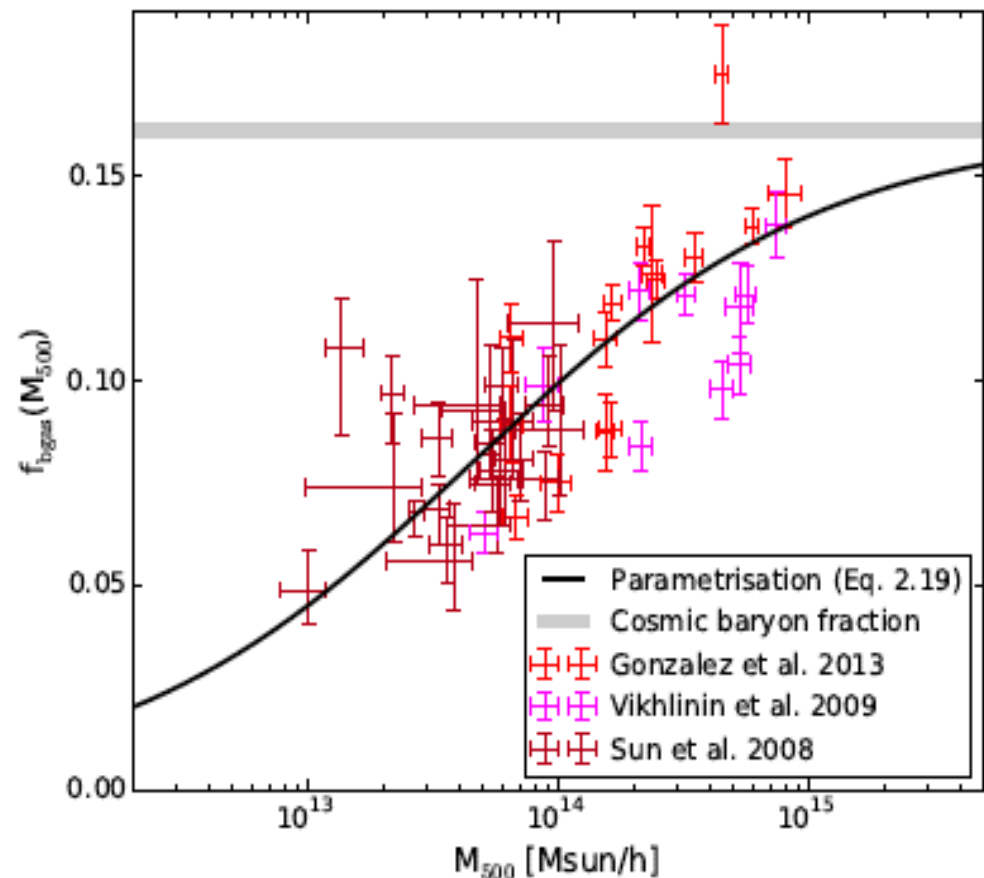
$$\rho_{\text{bcm}}(r) = f_{\text{rdm}} y_{\text{rdm}}(r) + f_{\text{bgas}}(M) y_{\text{bgas}}(r) + \boxed{f_{\text{egas}}(M) y_{\text{egas}}(r)} + f_{\text{cgal}}(M) y_{\text{cgal}}(r) + \bar{\rho}_{\text{bg}}$$

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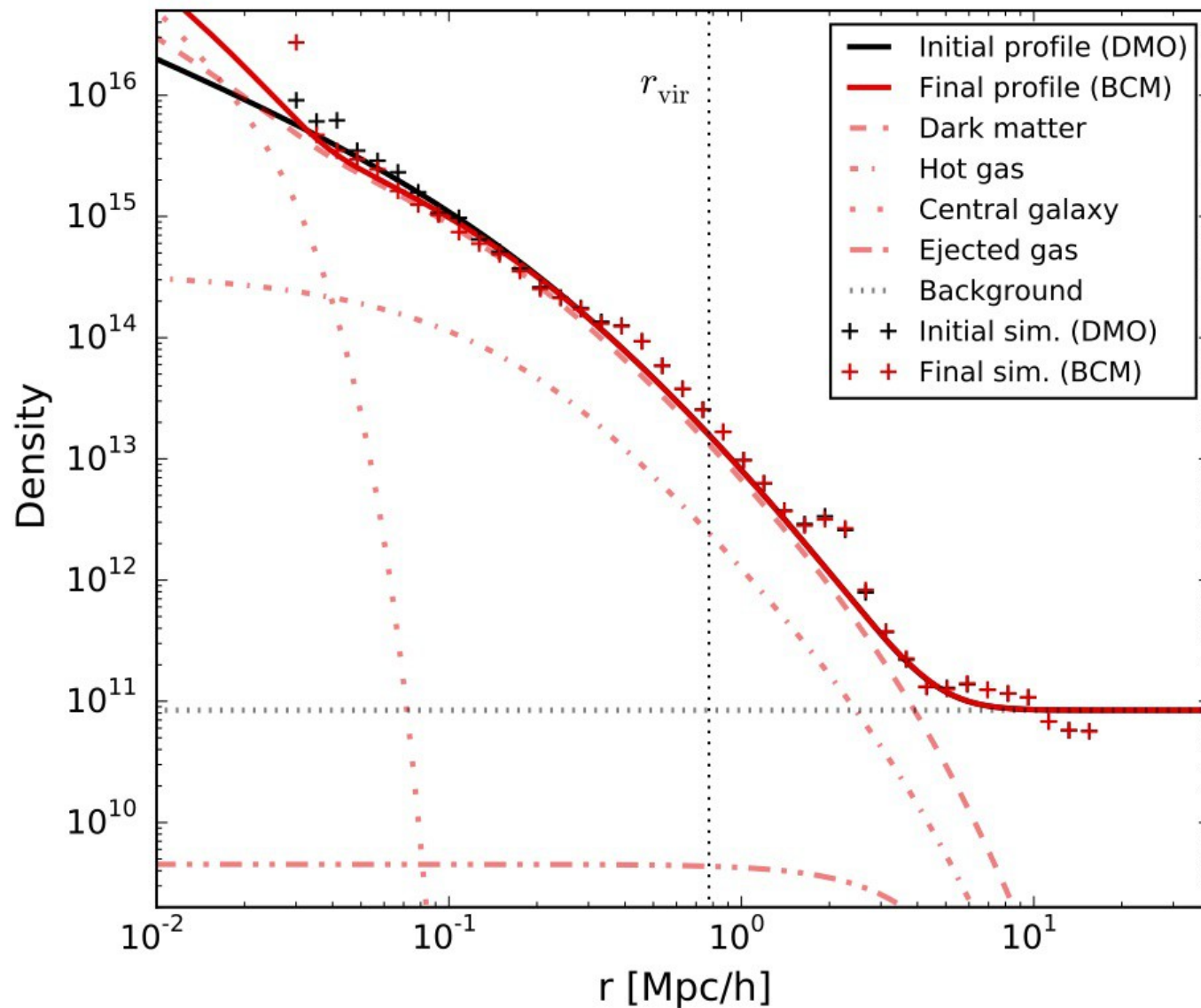
$$\rho_{\text{bcm}}(r) = f_{\text{rdm}} y_{\text{rdm}}(r) + f_{\text{bgas}}(M) y_{\text{bgas}}(r) + f_{\text{egas}}(M) y_{\text{egas}}(r) + f_{\text{cgal}}(M) y_{\text{cgal}}(r) + \bar{\rho}_{\text{bg}}$$

$$f_{\text{rdm}} = 1 - \Omega_b / \Omega_m = \text{cosmic DM fraction}$$

$\rho_{\text{rdm}}(r)$ = with adiabatic relaxation (roughly based on angular momentum conservation)

Displacing particles in N-body sims

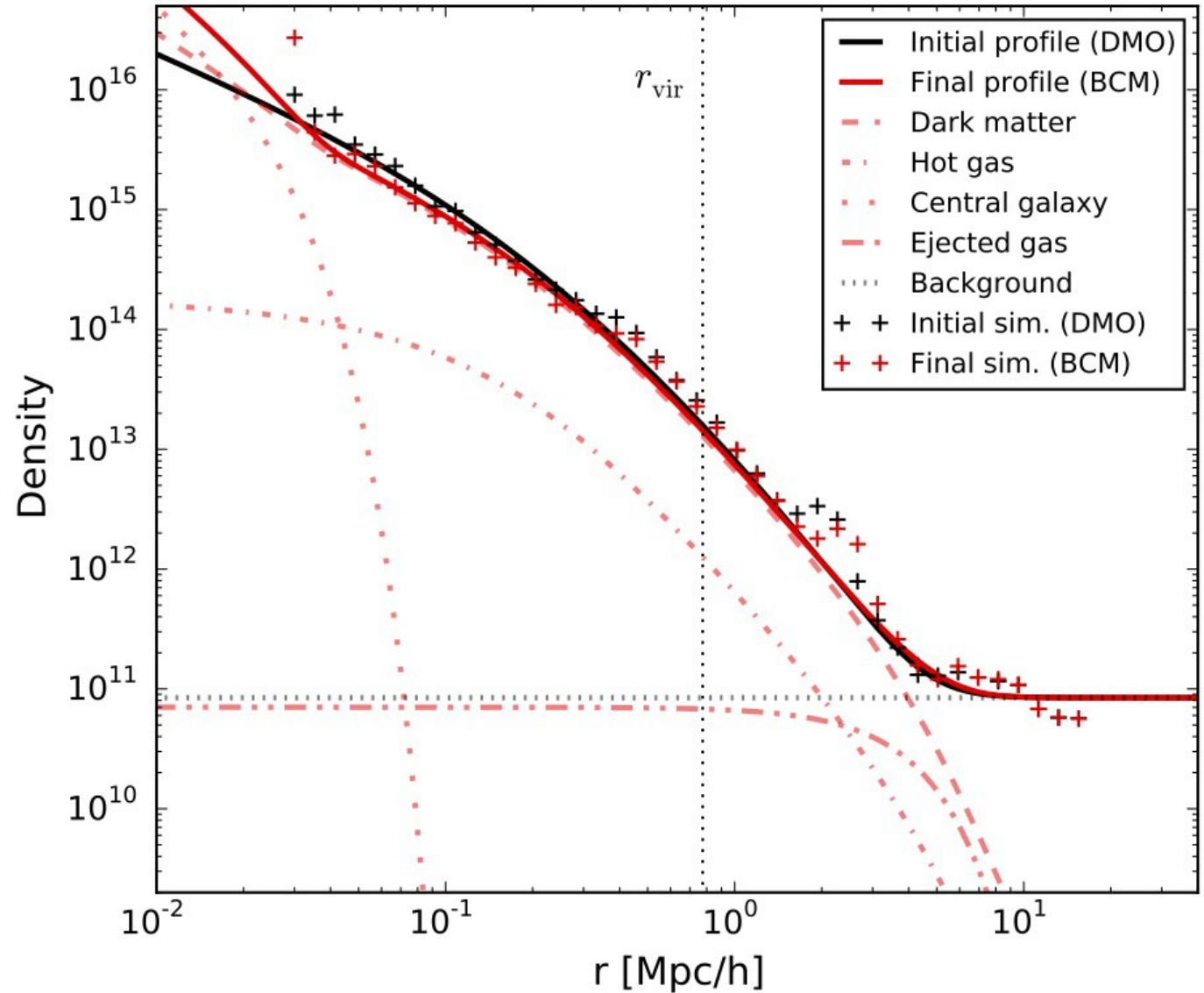
Density profile :



Gas mainly bound

Displacing particles in N-body sims

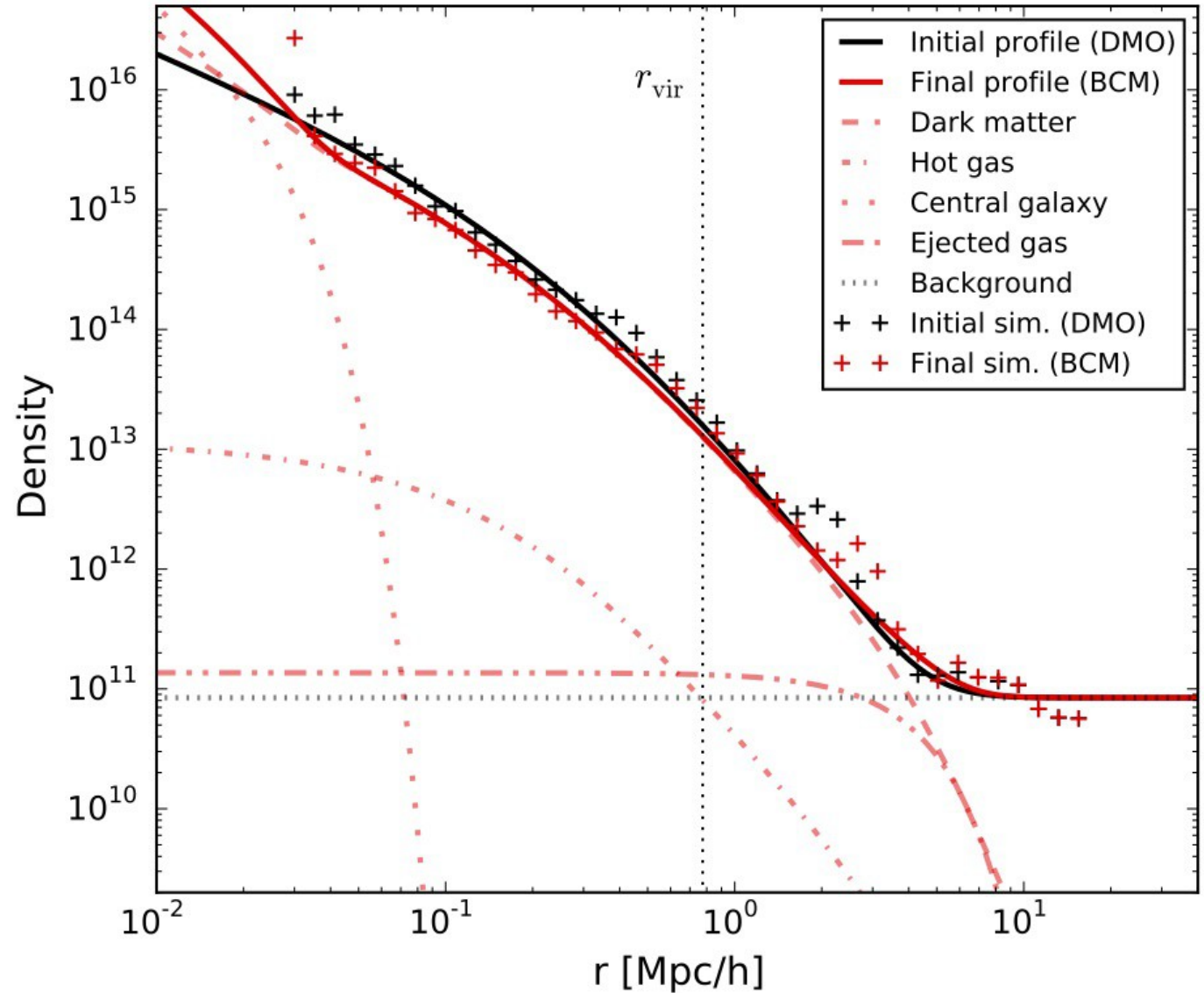
Density profile :



Gas half bound

Displacing particles in N-body sims

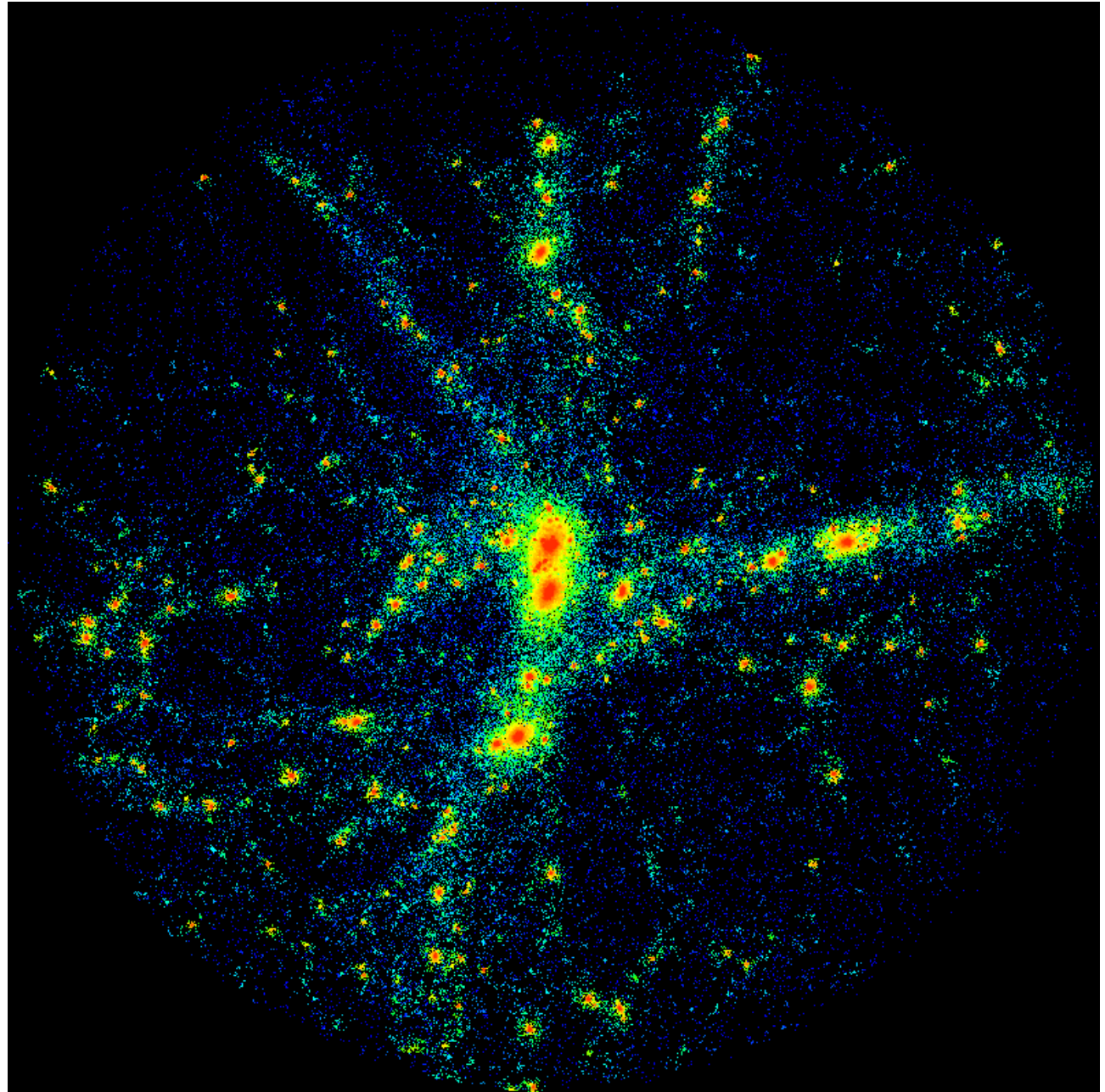
Density profile :



Gas mainly ejected

Displacing particles in N-body sims

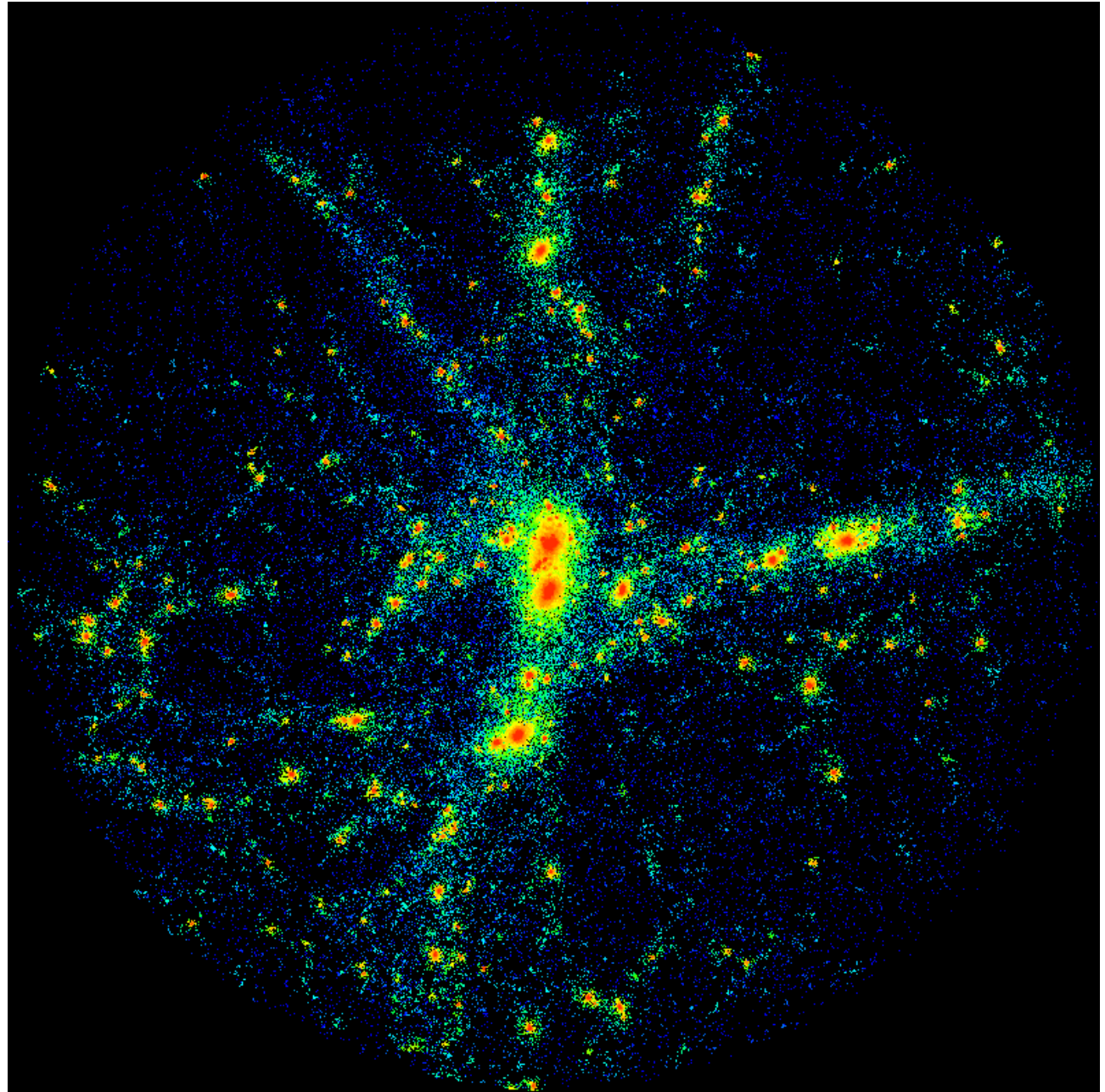
Picture :



N-body output

Displacing particles in N-body sims

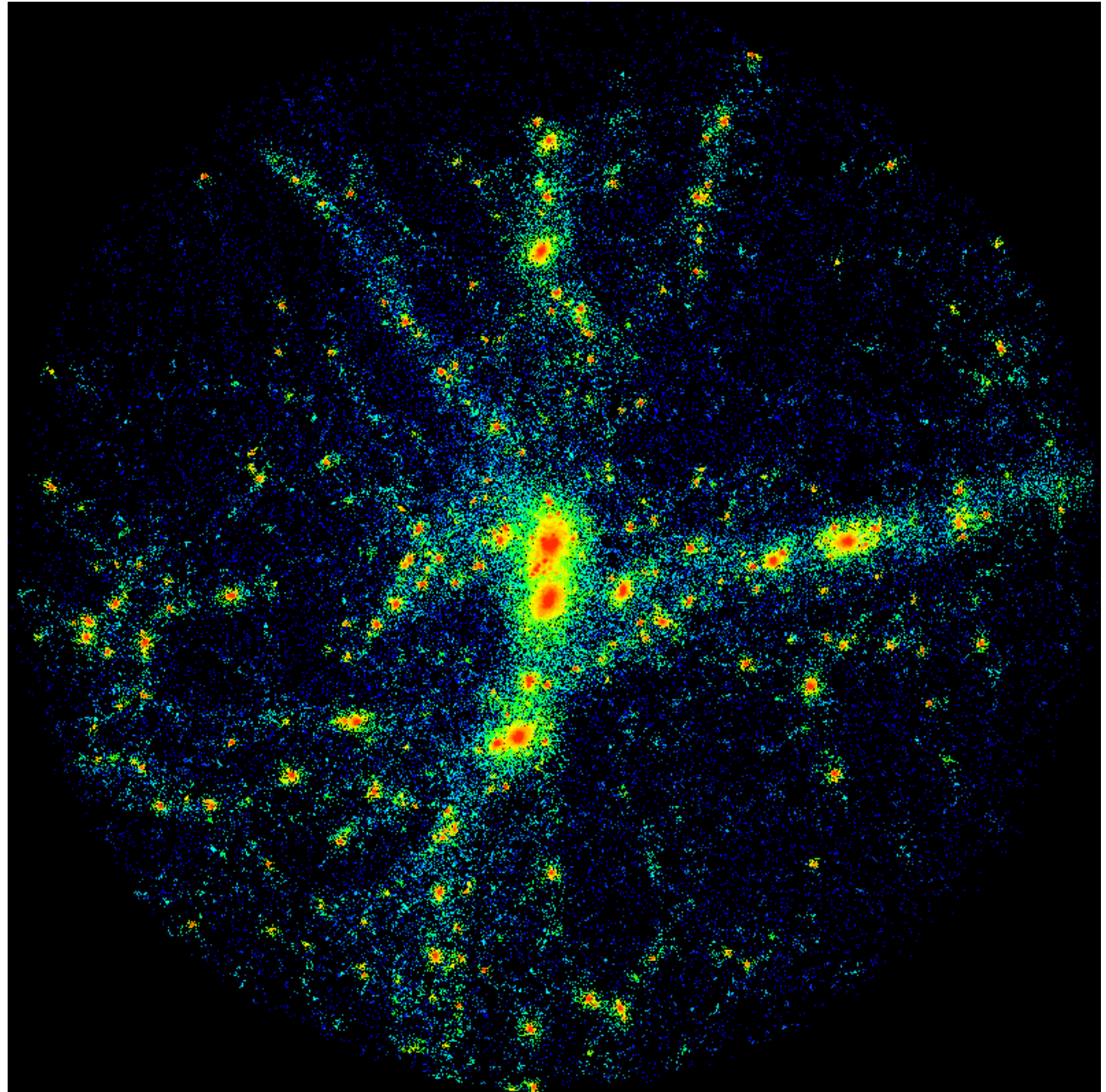
Picture :



Gas mainly bound

Displacing particles in N-body sims

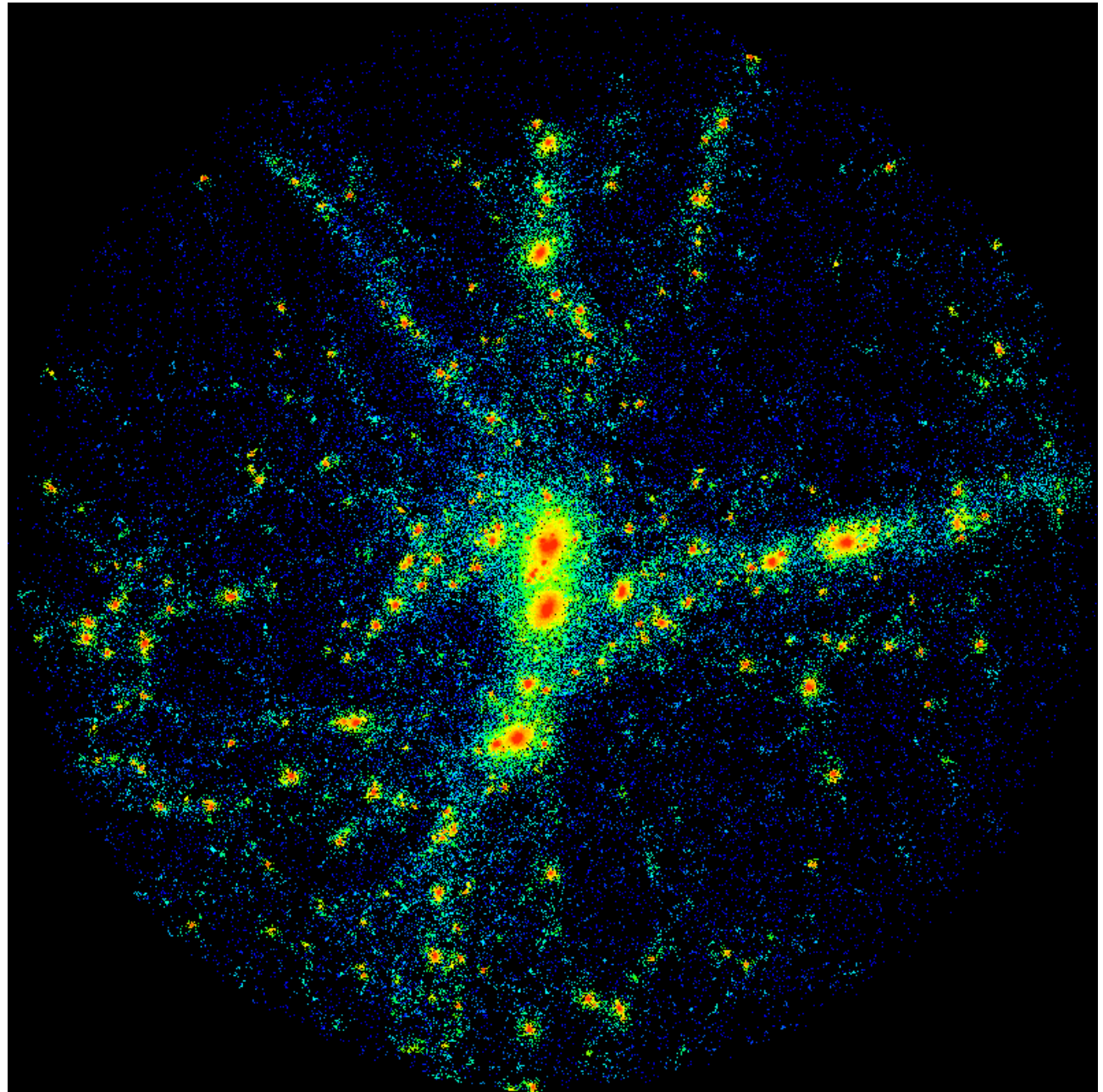
Picture :



Gas half bound

Displacing particles in N-body sims

Picture :

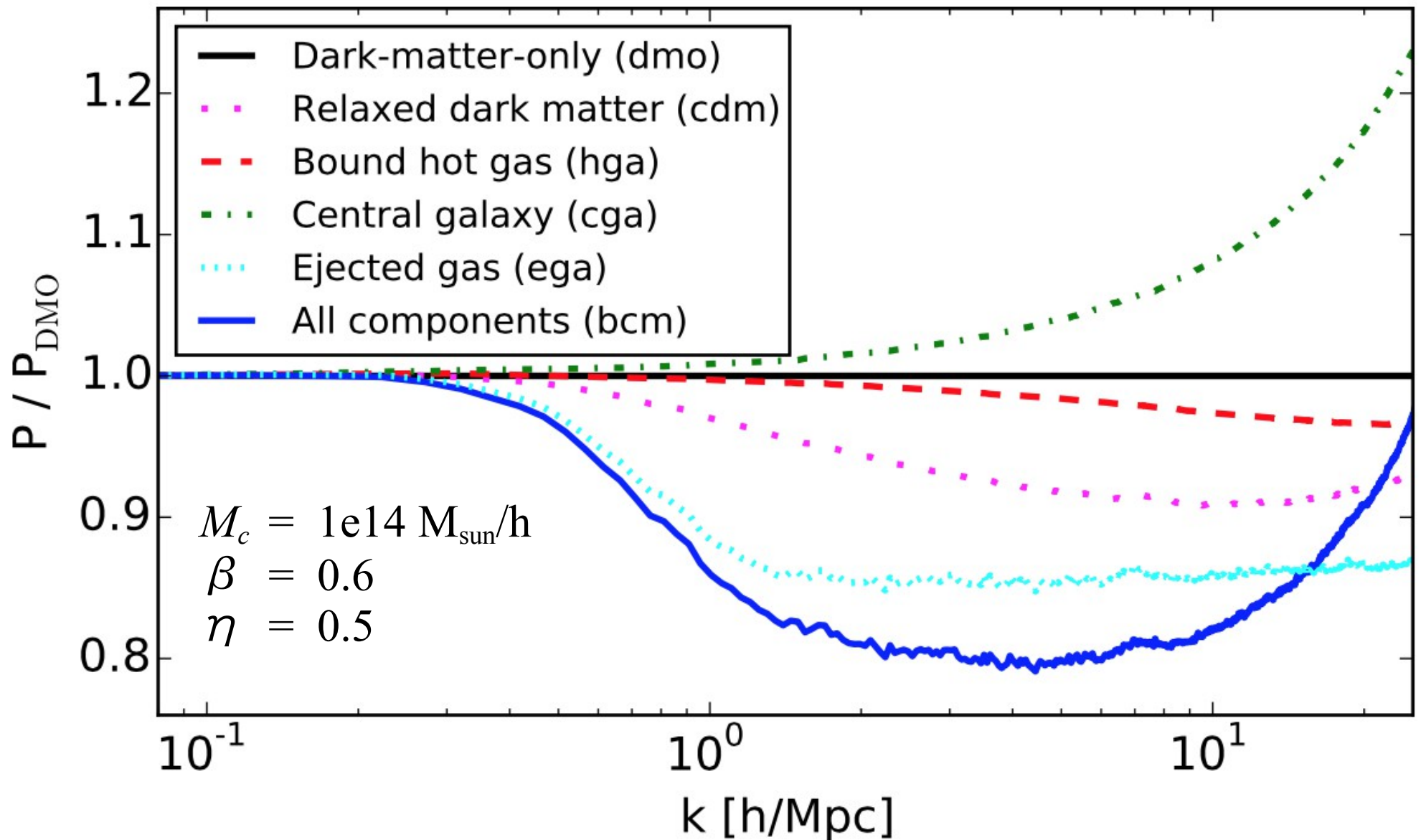


Gas mainly ejected

And finally the power spectrum !

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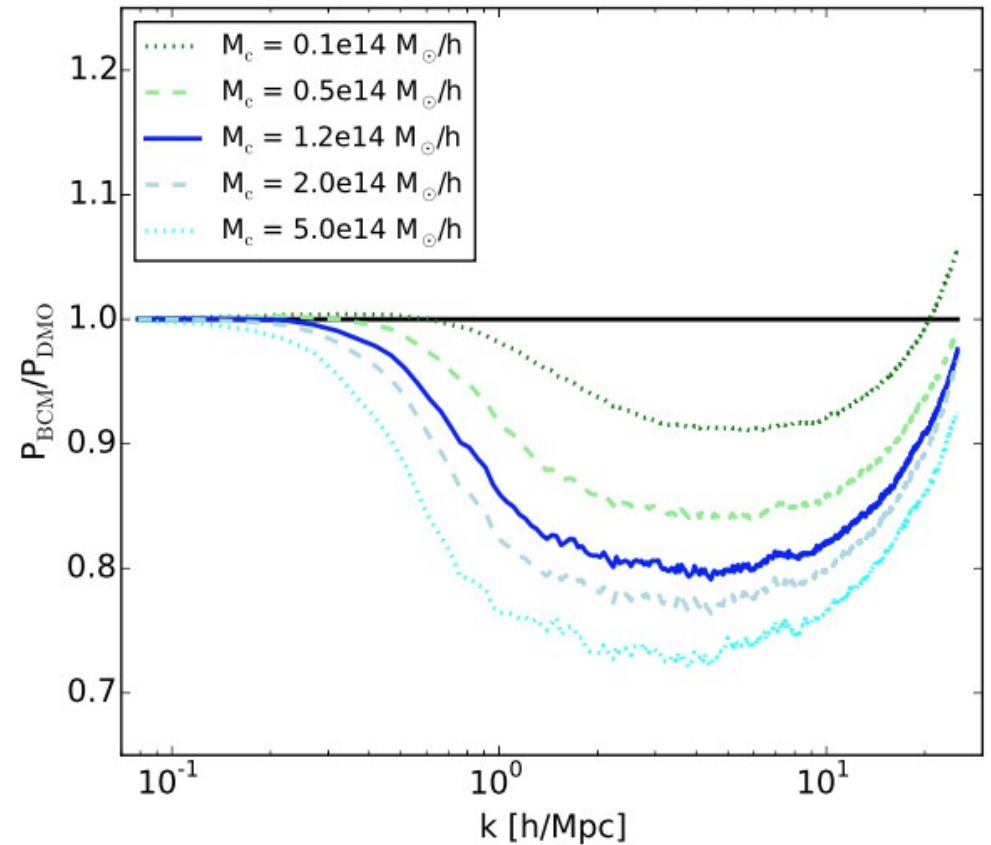
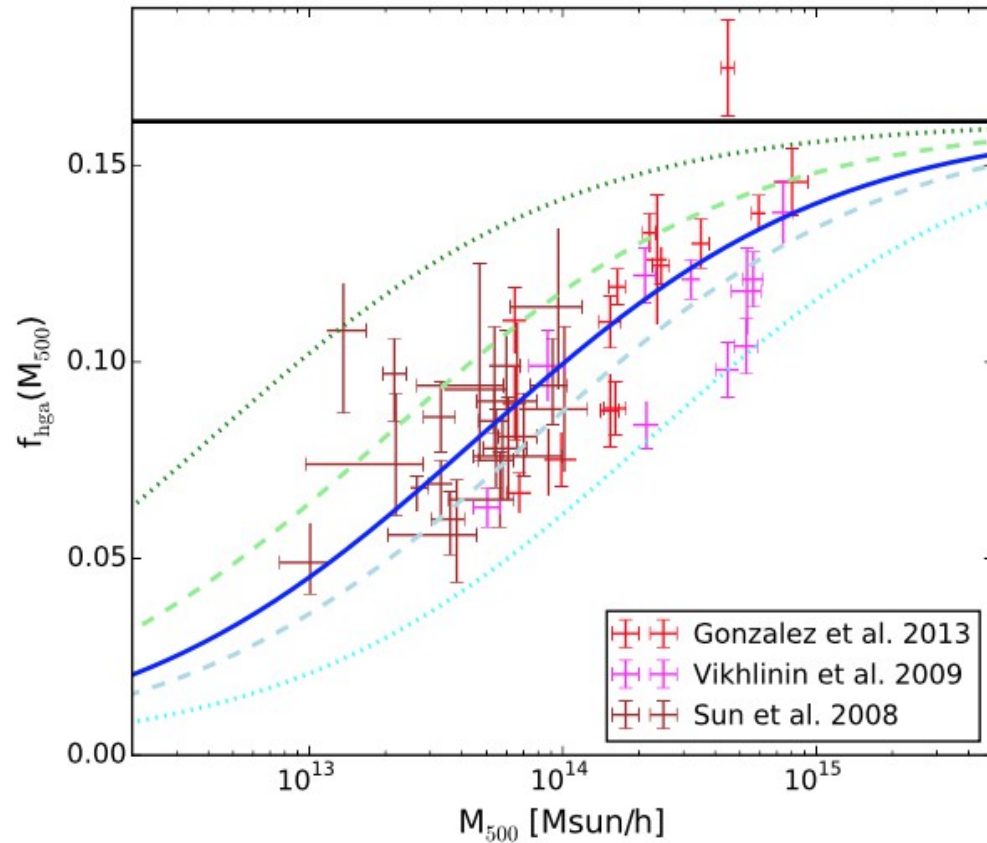
Fiducial values for model parameters :



Power suppression with two parameters

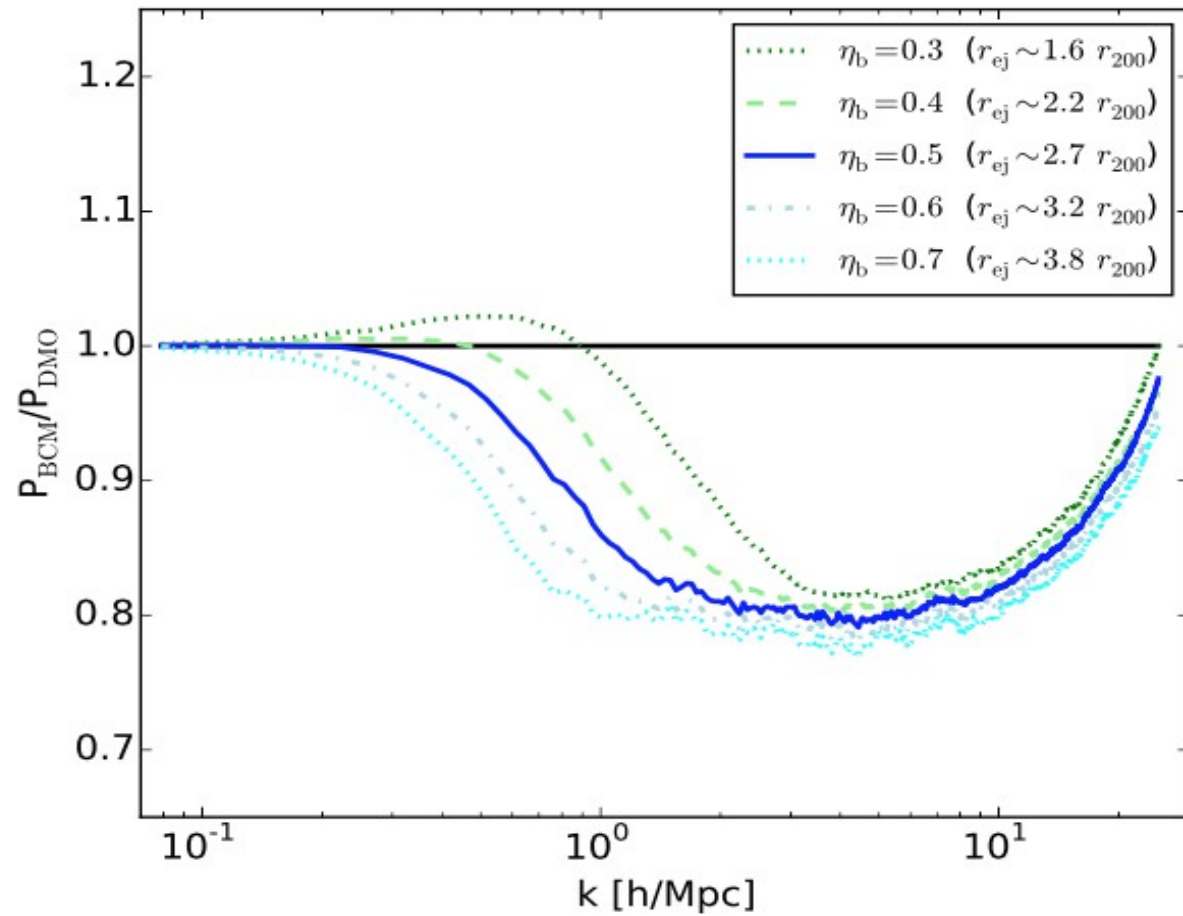
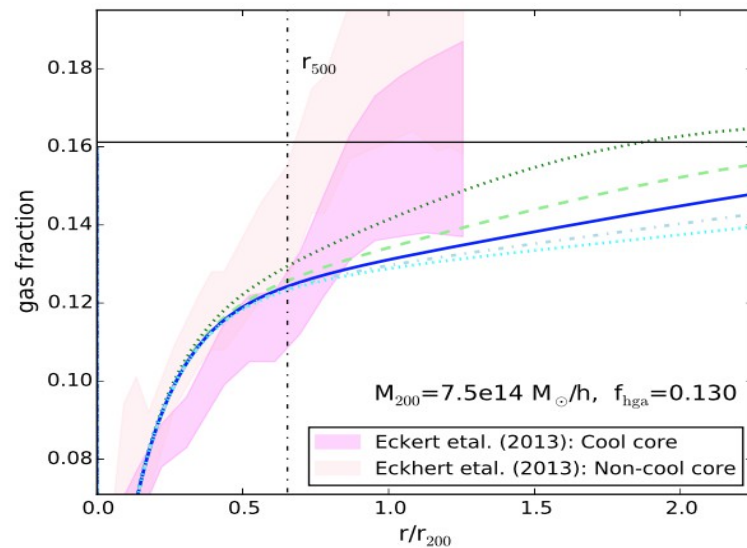
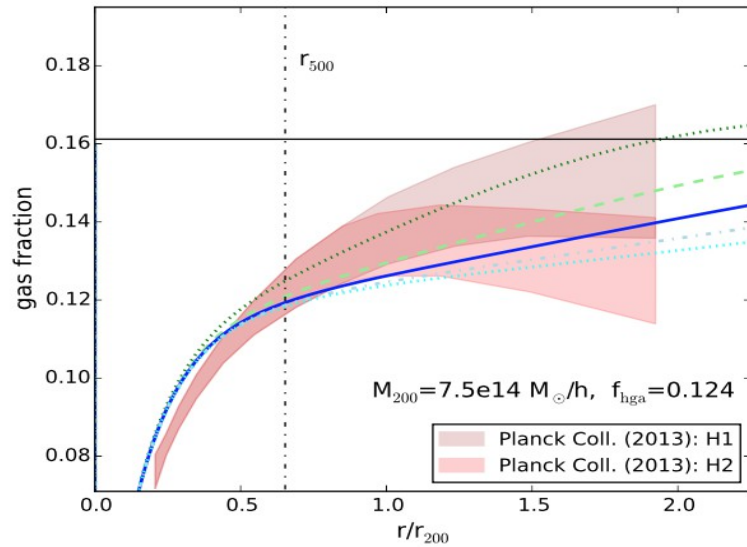
Power suppression with two parameters

First parameter: varying ejected gas fraction



Power suppression with two parameters

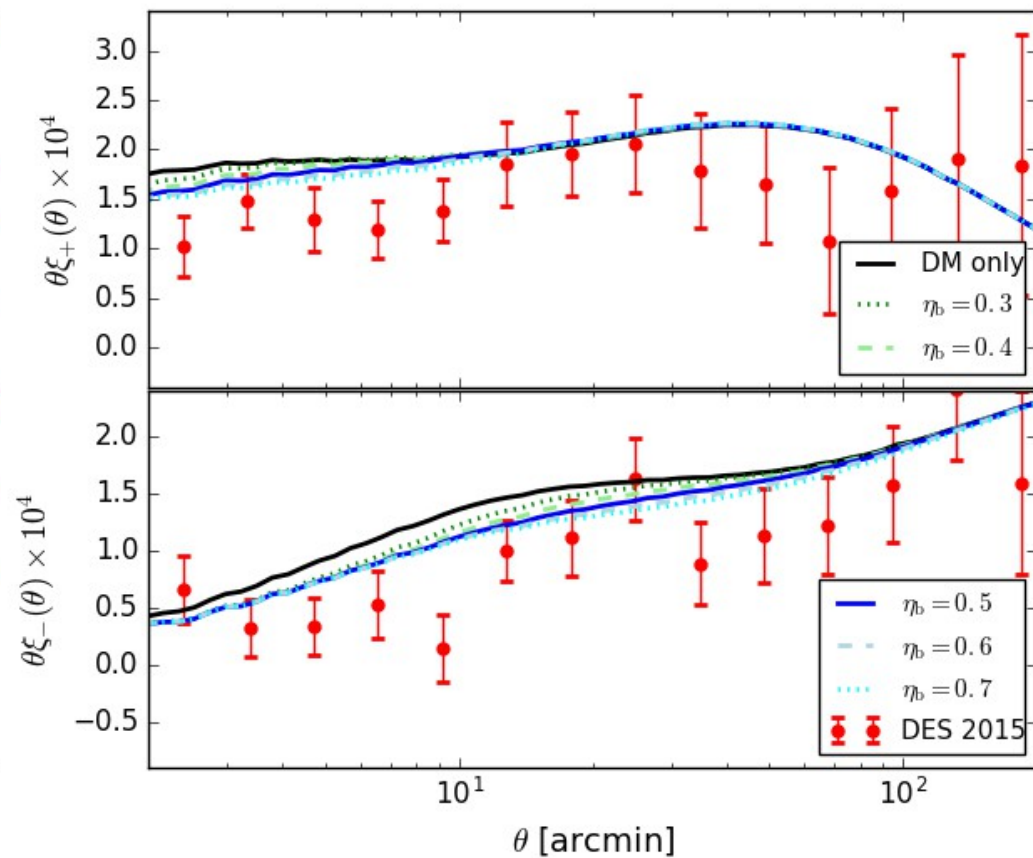
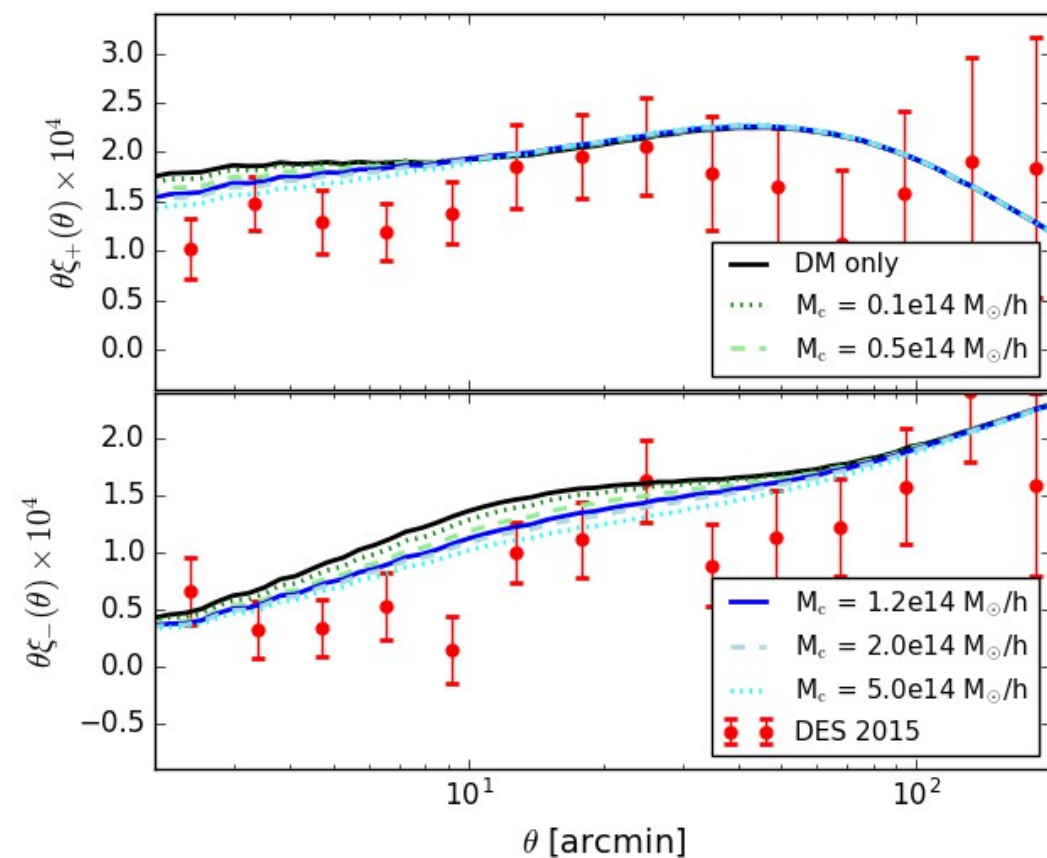
Second parameter: varying ejected gas radius



Weak lensing shear correlation (PRELIMINARY)

First param: ejected gas fraction

Second param: ejected gas radius



Conclusions :

- Baryons could affect LSS up to semi-linear scales.
- Simple (but not too simple) parametrisation required.
- Barcor-Model: Modify N-body outputs
 - 2-parameter approach: how much gas is ejected and how far ?

Aurel Schneider

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Davos – Feb 2017